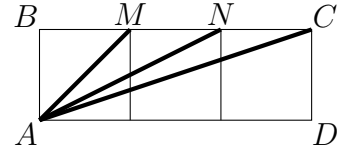


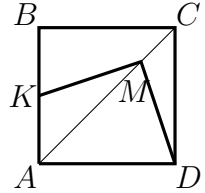
“DIFFICULT–EASY PROBLEMS” FROM GEOMETRY

Part 1

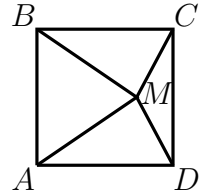
Problem 1. Suppose $ABCD$ is a rectangle where $AB = BM = MN = NC$. What is the value of $\angle MAD + \angle NAD + \angle CAD$?



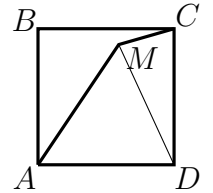
Problem 2. Suppose $ABCD$ is a square, point K is midpoint of side AB while M lies on diagonal AC , so that $AM : MC = 3 : 1$. Determine the value of $\angle KMD$.



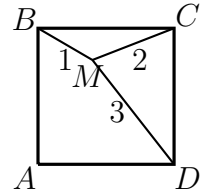
Problem 3. A point M is chosen inside a square $ABCD$ so that $\angle MAB = 60^\circ$, while $\angle MCD = 15^\circ$. Determine the value of $\angle MBC$.



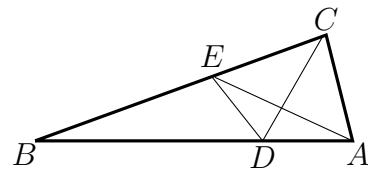
Problem 4. A point M is chosen inside a square $ABCD$ so that $\angle MAB = 30^\circ$, while $\angle MCB = 15^\circ$. Determine the value of $\angle MDA$.



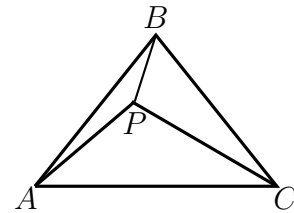
Problem 5. A point M is chosen inside a square $ABCD$ so that $BM : CM : DM = 1 : 2 : 3$. Determine the value of $\angle BMC$.



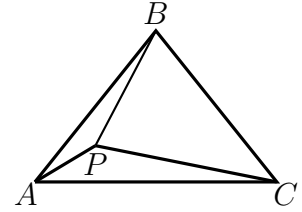
Problem 6. ABC is isosceles triangle with $\angle A = \angle C = 80^\circ$. Points D and E are marked on sides AB and BC respectively so that $\angle ADC = 60^\circ$ and $\angle AEC = 50^\circ$. Determine the value of $\angle DEA$.



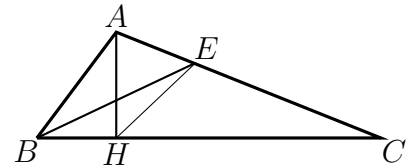
Problem 7. Triangle ABC is isosceles ($AB = BC$) and $\angle ABC = 80^\circ$. Point P is marked in interior of ABC so that $\angle ACP = 30^\circ$ while $\angle PAC = 40^\circ$. What is the value of $\angle BPC$?



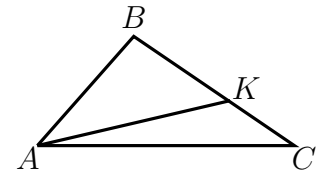
Problem 8. Triangle ABC is isosceles ($AB = BC$) and $\angle ABC = 80^\circ$. Point P is marked in interior of ABC so that $\angle PAC = 30^\circ$ while $\angle PCA = 10^\circ$. What is the value of $\angle BPC$?



Problem 9. Suppose that in triangle ABC , AH is an altitude, BE is bisector and $\angle AHE = 45^\circ$. What is the value of $\angle EHC$?



Problem 10. Point K is marked on side BC of triangle ABC so that $BK = 2KC$. Given that $\angle ACB = 45^\circ$, $\angle AKB = 60^\circ$. Determine the value of $\angle ABC$.



Problem 11. Suppose that in triangle ABC , AA' , BB' , and CC' are bisectors and $\angle ABC = 120^\circ$.

- (a) Determine the value of $\angle C'B'A'$;
- (b) Determine the value of $\angle B'C'C$.

